| FIELD |  |
| :--- | :--- |
| NAME |  |
| INDEX NUMBER |  |
| L=Last 3 Digits of the Index Number |  |
| M=Number obtained by taking Mod 2 (remainder after <br> dividing by 2) of each digit of $L$ |  |
| Write this number M on the diagonal of the matrix $A$, starting from the top left hand corner |  |
| $A=\left(\begin{array}{ccc}\square & 1 & 2 \\ 1 & \square & 1 \\ 1 & 2 & \square\end{array}\right)$. Let $T: \mathbb{R}^{3} \rightarrow \mathbb{R}^{3}$ be a linear transformation defined by $T(u)=A u$ for $u=\left(\begin{array}{l}x \\ y \\ z\end{array}\right) \in \mathbb{R}^{3}$. |  |

Q1. Find a basis for kerT and calculate dim (kerT).

## Solution:

See Test 6-Q1-Solutions

Q2. Find a basis for ranT and calculate $\operatorname{dim}(\operatorname{ran} T)$.

## Solution:

See Test 6-Q1-Solutions

